

**KOGANEI**

# Air Cylinder

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**ROTARY ACTUATORS VANE TYPE RAG Series**

**INSTRUCTION MANUAL** Ver.1.0

## Handling Instructions and Precautions



### General precautions

#### Media

1. Use air for the media. For the use of any other media, consult us.
2. Air used for the rotary actuator should be clean air that contains no deteriorated compressor oil, etc. Install an air filter (filtration of a minimum 40 µm) near the rotary actuator or valve to remove collected liquid or dust. In addition, drain the air filter periodically.

#### Piping

1. In piping connection with the rotary actuators, flush the tube completely (by blowing compressed air) before piping. Intrusion of machining chips, sealing tape, rust, etc., generated during plumbing could result in air leaks and other defective operations.
2. When screwing in piping or fittings to the actuator, tighten to the appropriate tightening torque shown below.

Connecting thread	Tightening torque N·cm [in ·lbf]
M5×0.8	157 [13.9]

#### Lubrication

The product can be used without lubrication, if lubrication is required, use Turbine Oil Class 1 (ISO VG32) or equivalent. Avoid using spindle oil or machine oil.

#### Atmosphere

When using in locations subject to dripping water, dripping oil, etc., use a cover to protect the unit.

#### Start-up

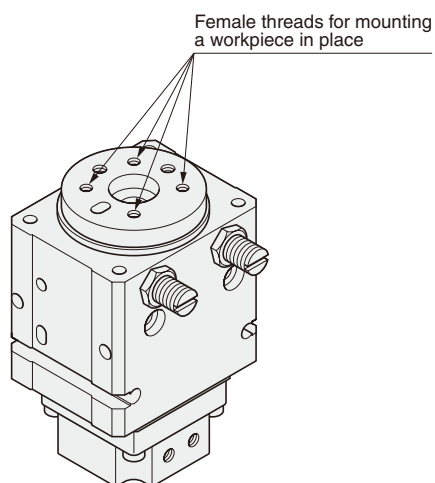
When starting up operations of a device and the rotary actuator by supplying compressed air rapidly, it could not control the speed due to the construction of the rotary actuator, resulting in damage to the device and rotary actuator. When supplying compressed air to the device and rotary actuator where the air has been exhausted, always ensure that the table is in a secure position and cannot be moved further, paying attention to safety, and then apply air pressure from the connection port of not making move the table, first. For the piping port location and swing direction, see p.1320.



## Mounting

### Mounting

1. The mounting surface should be always flat. Twisting or bending during the mounting could result in air leaks or improper operation.
2. Care should be taken that scratches or dents on the rotary actuator's mounting surface may damage its flatness.
3. Take some locking measures when shocks or vibrations might loosen the bolts.
4. For a workpiece mounting, female threads are available for installing the workpiece in place on the table. Always use bolts so that the screw length is less than the depth of the female thread. When mounting the workpiece, tighten the bolts within the range of the tightening torque.
5. Do not let machining chips or dust enter the product through mounting threads in the table-top surface. Machining chips or dust adhering to the internal bearings could lead to defective operation.

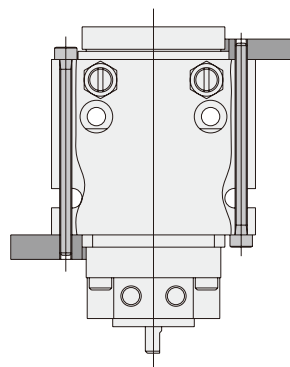


Model	Thread size	Thread depth L mm [in.]	Max. tightening torque N·m [ft·lbf]
RAG□1	M4×0.7	6 [0.236]	2.7 [2.0]
RAG□3			
RAG□8	M5×0.8	8 [0.315]	5.4 [4.0]
RAG□20			

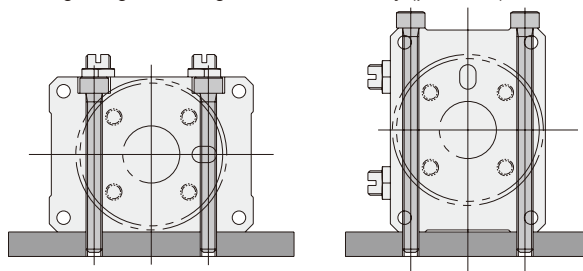
**Caution:** When using bolts to mount a workpiece in place on the table, hold either the table or workpiece in place during the operation. Holding the body for tightening will apply excessive moment to the stopper, rubber stopper, and shock absorber, resulting in a change of angle.

6. The rotary actuator RAG series can be mounted in either of the ways shown below. When mounting, ensure that the tightening torque is within the range of allowable torque.

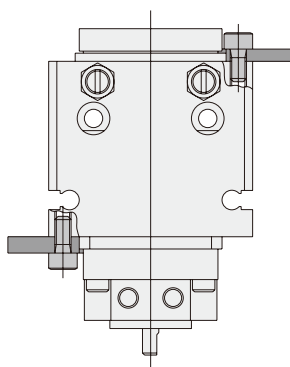
Mounting using the through holes on the body (pattern A)



Mounting using the through holes on the body (pattern B)



Mounting using the tapped holes on the body

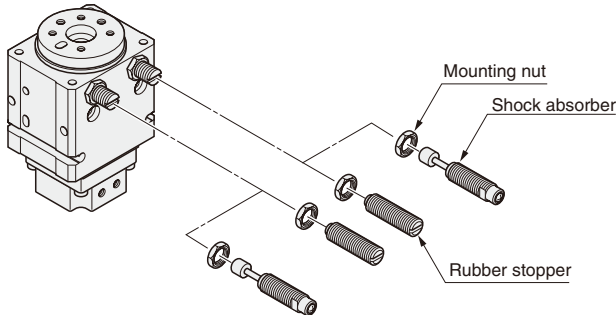


Model	Mounting method	Thread size	Maximum tightening torque N·m [ft·lbf]
RAG□1 RAG□3	Through hole (pattern A)	M3×0.5	1.14 [0.84]
	Through hole (pattern B)	M4×0.7	2.7 [2.0]
	Main body tapped hole	M4×0.7	1.5 [1.1]
RAG□8	Through hole (pattern A)	M4×0.7	1.5 [1.1]
	Through hole (pattern B)	M5×0.8	5.4 [4.0]
	Main body tapped hole	M5×0.8	3.0 [2.2]
RAG□20	Through hole (pattern A)	M5×0.8	5.4 [4.0]
	Through hole (pattern B)	M6×1.0	9.2 [6.8]
	Main body tapped hole	M6×1.0	5.2 [3.8]

## Handling Instructions and Precautions

### Rubber stopper and shock absorber replacement instructions

1. When replacing the rubber stopper or shock absorber, refer to the Swing Angle Range and Swing Direction on p.1320 to perform mounting. If the stopper under the table is not in the correct position, it could result in incorrect swing angle or damage. Moreover, never use the rotary actuator with the rubber stopper or shock absorber removed. As noted above, it could lead to incorrect swing angle and will be unable to absorb kinetic energy, resulting in damage to the rotary actuator.
2. Loosen and remove the mounting nut of the rubber stopper or shock absorber. Screw the new rubber stopper or shock absorber into the proper position, and then tighten the mounting nut and secure it in place. When tightening the nut, ensure that the tightening torque is within the range of setting values.



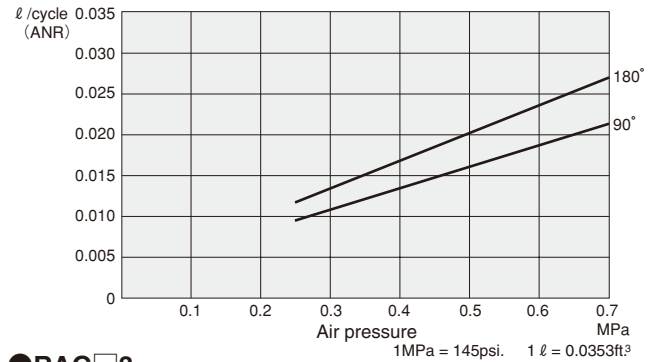
### Swing angle adjustment

1. The rotary actuators RAG series uses rubber stoppers or shock absorbers for angle adjustment, in the ranges shown on p.1320. For both clockwise and counterclockwise rotation, rotating the rubber stopper or shock absorber to the right (clockwise) will reduce the swing angle. After completing angle adjustment, tighten the nut and secure the rubber stopper or shock absorber in place.
2. Always keep the swing angle within the specified range for use. For the shock absorber, in particular, when the angle between the applied load direction and the center line of the shock absorber exceeds the allowable angle variation, the product could be damaged.
3. The rubber stoppers or shock absorbers are only temporarily tightened at shipping. For actual use, always tighten the nuts to secure the rubber stoppers or shock absorbers in place.
4. When tightening the nut, ensure that the tightening torque is within the range shown below.

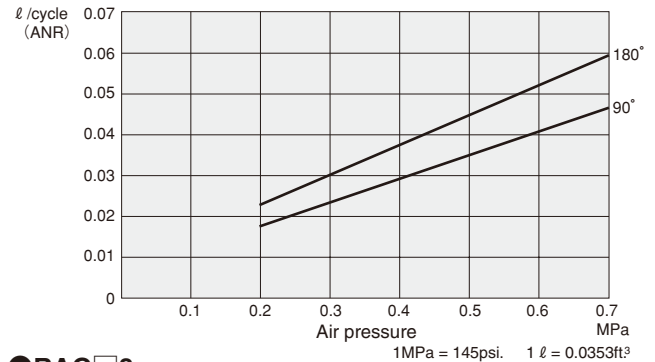
Model	Nut size	Maximum tightening torque N·m [ft·lbf]
RAG□1	M6×0.75	0.85 [0.63]
RAG□3	M8×0.75	2.45 [1.81]
RAG□8		
RAG□20	M10×1.0	6.37 [4.70]

## Air Consumption

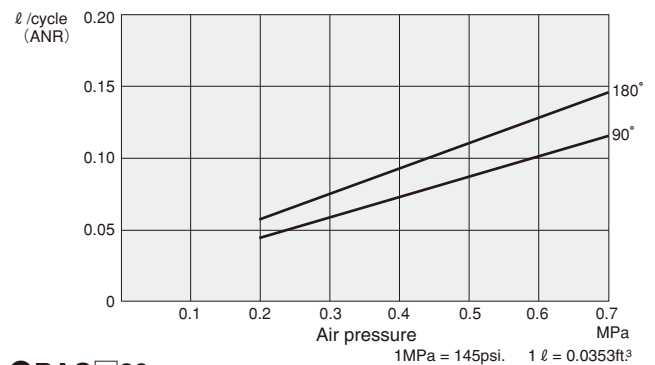
### ●RAG□1



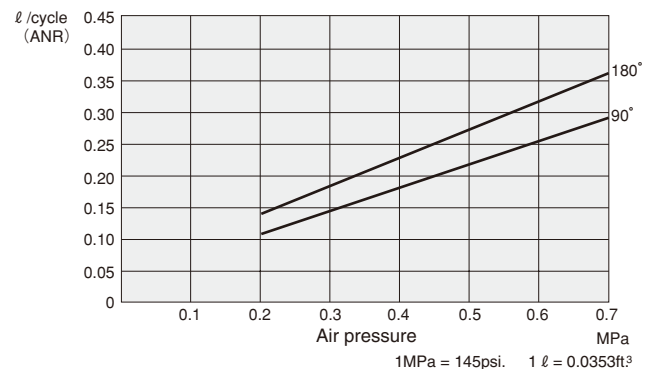
### ●RAG□3



### ●RAG□8



### ●RAG□20



Air consumption per 1 cycle of the rotary actuator can be found by the following equation.

$$Q = 2 \times V \times 10^{-3} \times \frac{P + 0.1013}{0.1013}$$

Q : Air consumption per cycle [ l /cycle(ANR) ]

V : Internal volume (cm<sup>3</sup>)

P : Air pressure (MPa)

1 l = 0.0353 ft<sup>3</sup>, 1 cm<sup>3</sup> = 0.061 in<sup>3</sup>, 1 MPa = 145psi.

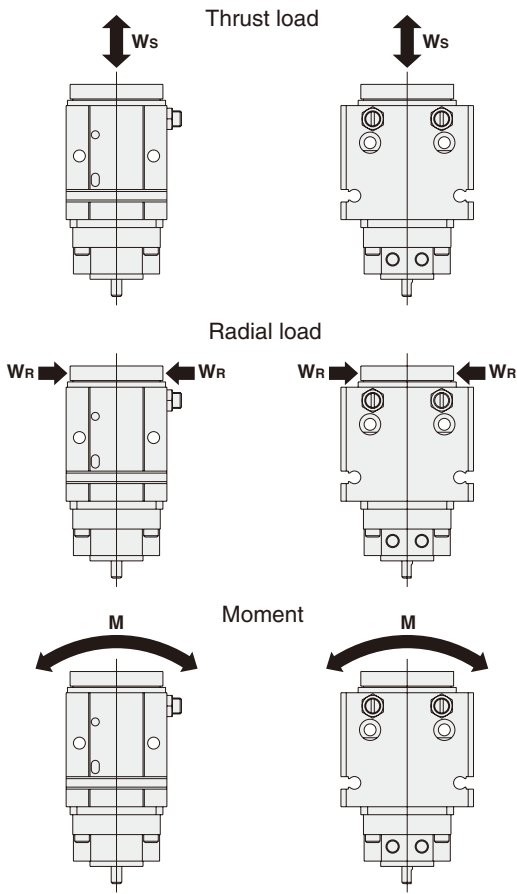
cm<sup>3</sup> [in<sup>3</sup>]

Model	Internal volume	
	90°	180°
RAG□1	1.4 [0.085]	1.7 [0.104]
RAG□3	3.0 [0.183]	3.8 [0.232]
RAG□8	7.4 [0.451]	9.2 [0.561]
RAG□20	18.1 [1.104]	22.7 [1.385]

# Handling Instructions and Precautions

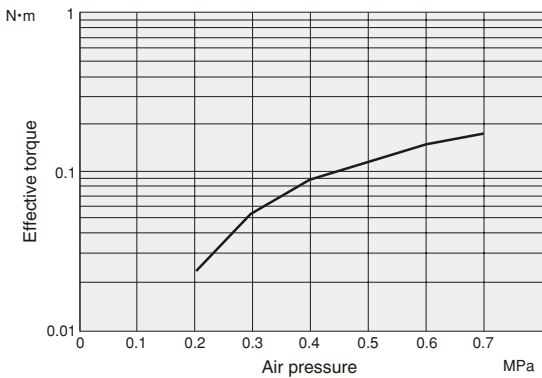
## ● Allowable load

Item	Model	RAG□1	RAG□3	RAG□8	RAG□20
Allowable thrust load $W_s$	N [lbf]	20 [4.5]	60 [13.5]	120 [27.0]	160 [36.0]
Allowable radial load $W_R$	N [lbf]	20 [4.5]	80 [18.0]	100 [22.5]	120 [27.0]
Allowable moment $M$	N·m [ft·lbf]	0.4 [0.30]	0.9 [0.66]	1.3 [0.96]	3.5 [2.58]

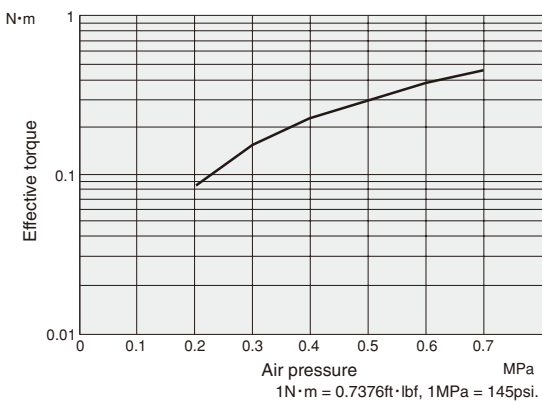


## ● Effective torque

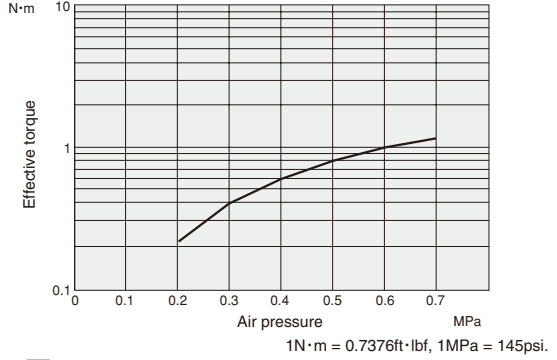
### RAG□1



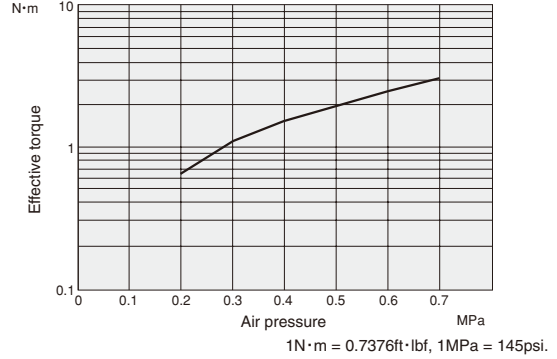
### RAG□3



### RAG□8

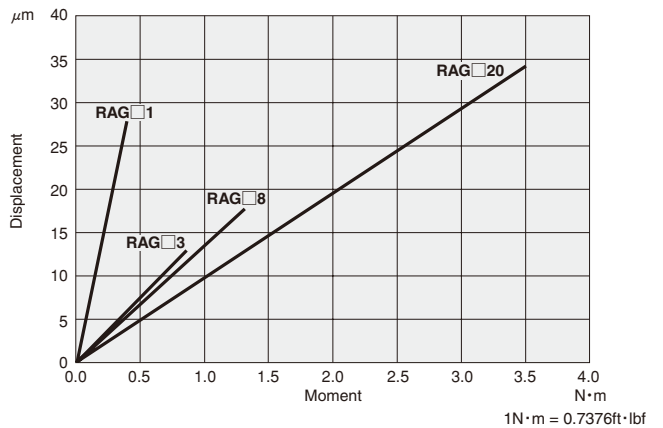
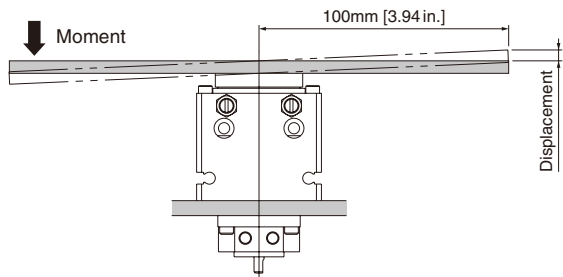


### RAG□20

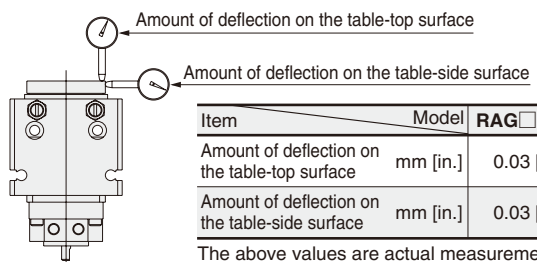


## ● Table displacement caused by moment

In the rotary actuators RAG series, mounting a plate and applying moment on it, and then measure the displacement at 100mm [3.94in.] position from the rotation center.



## ● Deflection accuracy : Table displacement on 180° swing



Item	Model	RAG□1, 3, 8, 20
Amount of deflection on the table-top surface	mm [in.]	0.03 [0.0012]
Amount of deflection on the table-side surface	mm [in.]	0.03 [0.0012]

The above values are actual measurement values, and are not intended to be guaranteed values.

## Selection

**Caution:** For the load and swing time, follow the below “Model selection procedure” to select within the range of specified values. Moreover, about 80% of the allowable values is recommended to use in applications. By using these values, adverse effects on cylinders and guides can be a minimum.

### ●Model selection procedure

#### 1. Check the application conditions

Check the following items ①~④

- ①Swing angle (90° or 180°)
- ②Swing time (s)
- ③Applied pressure (MPa)
- ④Workpiece shape and materials
- ⑤Mounting direction

#### 2. Check the swing time

Check the swing time in 1—② is within the swing time adjustment range in the specification.

Angle	Swing time (s)			
	RAG□1	RAG□3	RAG□8	RAG□20
90°	0.05~0.25	0.05~0.4	0.05~0.5	0.06~0.6
180°	0.1~0.5	0.1~0.8	0.1~1.0	0.12~1.2

Note: The swing time is obtained when using the rubber stopper with no load at 0.5MPa condition.

#### 3. Select torque size (select model)

Find the torque  $T_A$  required for rotating the workpiece.

$$T_A = I \cdot \dot{\omega} K$$

$T_A$ : Torque (N·m)  
 $I$ : Mass moment of inertia (kg·m<sup>2</sup>)  
Use the equations on p.1311~1314 to find.  
 $\dot{\omega}$ : Uniform angular acceleration (rad/s<sup>2</sup>)  
 $K$ : Marginal coefficient 5  
 $\theta$ : Swing angle (rad)  
90°→1.57rad  
180°→3.14rad  
 $t$ : Swing time (s)

Select the model secures the required torque  $T_A$  by using the applied pressure checked in 1—③, from among the effective torque graph on p.1308.

#### 4. Check the kinetic energy

If kinetic energy exceeds the allowable energy, the actuator could be damaged. Always select a model so that the energy lies within the allowable energy range. When the kinetic energy is large, use a model with shock absorber (-SS2, -SSR, or -SSL). For the allowable kinetic energy, see Table 1.

Find the kinetic energy.

●With rubber stopper

$$E = \frac{1}{2} \times I \times \omega^2$$

$E$ : Kinetic energy (J)  
 $I$ : Mass moment of inertia (kg·m<sup>2</sup>)  
Use the equations on p.1311~1314 to find.  
 $\omega$ : Angular velocity (rad/s)  
 $\theta$ : Swing angle (rad)  
90°→1.57rad  
180°→3.14rad  
 $t$ : Swing time (s)  
 $E_a$ : Allowable energy with rubber stopper  
... See Table 1.

### ●Model selection procedure

#### 1. Check the application conditions

Check the following items ①~④

- ①Swing angle (90° or 180°)
- ②Swing time [sec.]
- ③Applied pressure [psi.]
- ④Workpiece shape and materials
- ⑤Mounting direction

#### 2. Check the swing time

Check the swing time in 1—② is within the swing time adjustment range in the specification.

Angle	Swing time [sec.]			
	RAG□1	RAG□3	RAG□8	RAG□20
90°	0.05~0.25	0.05~0.4	0.05~0.5	0.06~0.6
180°	0.1~0.5	0.1~0.8	0.1~1.0	0.12~1.2

Note: The swing time is obtained when using the rubber stopper with no load at 73psi. condition.

#### 3. Select torque size (select model)

Find the torque  $T'_A$  required for rotating the workpiece.

$$T'_A = I' \cdot \dot{\omega} K$$

$T'_A$ : Torque [ft·lbf]  
 $I'$ : Mass moment of inertia [lbf·ft·sec<sup>2</sup>]  
Use the equations on p.1311~1314 to find.  
 $\dot{\omega}$ : Uniform angular acceleration [rad/sec<sup>2</sup>]  
 $K$ : Marginal coefficient 5  
 $\theta$ : Swing angle [rad]  
90°→1.57rad  
180°→3.14rad  
 $t$ : Swing time [sec.]

Select the model secures the required torque  $T'_A$  by using the applied pressure checked in 1—③, from among the effective torque graph on p.1308.

#### 4. Check the kinetic energy

If kinetic energy exceeds the allowable energy, the actuator could be damaged. Always select a model so that the energy lies within the allowable energy range. When the kinetic energy is large, use a model with shock absorber (-SS2, -SSR, or -SSL). For the allowable kinetic energy, see Table 1.

Find the kinetic energy.

●With rubber stopper

$$E' = \frac{1}{2} \times I' \times \omega^2$$

$E'$ : Kinetic energy [ft·lbf]  
 $I'$ : Mass moment of inertia [lbf·ft·sec<sup>2</sup>]  
Use the equations on p.1311~1314 to find.  
 $\omega$ : Angular velocity [rad/sec.]  
 $\theta$ : Swing angle [rad]  
90°→1.57rad  
180°→3.14rad  
 $t$ : Swing time [sec.]  
 $E'_a$ : Allowable energy with rubber stopper  
... See Table 1.

●With shock absorber

①Find the equivalent mass  $m_1$ .

$$m_1 = \frac{I}{R^2}$$

$m_1$  : Equivalent mass (kg)  
 $I$  : Mass moment of inertia ( $\text{kg} \cdot \text{m}^2$ )  
 Use the equations on p.1311~1314 to find.

②Find the equivalent mass  $m_2$ .

$$m_2 = \frac{2 \times T \times L}{R^3 \times \omega^2}$$

$R$  : Distance from the rotation center to the impact point (m) ... See Fig.1 and Table 2.

$m_2$  : Equivalent mass (kg)

$T$  : Effective torque ( $\text{N} \cdot \text{m}$ )

Use the effective torque graph to find.

③Find the total mass  $m$ .

$$m = m_1 + m_2$$

$L$  : Shock absorber stroke (m)  
 ... See Table 2.

④Find the impact velocity.

$$V = R \times \omega$$

$\omega$  : Angular velocity (rad/s)

$\theta$  : Swing angle (rad)

$90^\circ \rightarrow 1.57\text{rad}$

$180^\circ \rightarrow 3.14\text{rad}$

⑤Find the kinetic energy.

$$E = \frac{1}{2} \times m \times V^2$$

$t$  : Swing time (s)

$m$  : Total mass (kg)

$V$  : Impact velocity (m/s)

$E$  : Kinetic energy (J)

$$E < E_a$$

$E_a$  : Allowable energy with shock absorber ... See Table 1.

Table 1. Allowable energy  $E_a$

Model	Allowable energy with rubber stopper (J)	Allowable energy with shock absorber (J)
<b>RAG□1</b>	0.003	—
<b>RAG□3</b>	0.005	0.30
<b>RAG□8</b>	0.008	0.53
<b>RAG□20</b>	0.030	1.14

Fig.1 R: Distance from the rotation center to the impact point

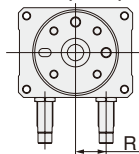


Table 2.

Model	Distance R from the rotation center to the impact point (m)	Shock absorber stroke L (m)	Shock absorber model
<b>RAG□3</b>	0.015	0.005	KSHAR5×5-D
<b>RAG□8</b>	0.018	0.005	KSHAR5×5-E
<b>RAG□20</b>	0.021	0.008	KSHAR6×8-F

5. Check the load ratio

Check that the total sum of the load ratio does not exceed 1.

For the allowable load, see Table 3 (For the load direction, see the allowable load on p.1308.)

$$\frac{W_s}{W_{s \text{ MAX}}} + \frac{W_R}{W_{R \text{ MAX}}} + \frac{M}{M_{\text{MAX}}} \leq 1$$

Table 3. Allowable load

Model	Thrust load $W_{s \text{ MAX}}$ (N)	Radial load $W_{R \text{ MAX}}$ (N)	Moment $M_{\text{MAX}}$ ( $\text{N} \cdot \text{m}$ )
<b>RAG□1</b>	20	20	0.4
<b>RAG□3</b>	60	80	0.9
<b>RAG□8</b>	120	100	1.3
<b>RAG□20</b>	160	120	3.5

6. Judgement whether the unit is usable or not

The unit is usable if it satisfies both 4. Kinetic energy and 5. Load ratio.

$$E < E_a$$

$$\text{Total sum of load ratio} \leq 1$$

●With shock absorber

①Find the equivalent weight  $w_1$ .

$$w_1 = \frac{I'}{R'^2} \times 32.2$$

$w_1$  : Equivalent weight [lbf.]

$I'$  : Mass moment of inertia [ $\text{lbf} \cdot \text{ft} \cdot \text{sec}^2$ ]

Use the equations on p.1311~1314 to find.

②Find the equivalent weight  $w_2$ .

$$w_2 = \frac{2 \times T' \times L'}{R'^3 \times \omega^2}$$

$R'$  : Distance from the rotation center to the impact point [ft] ... See Fig.1 and Table 2.

$w_2$  : Equivalent weight [lbf.]

$T'$  : Effective torque [ $\text{ft} \cdot \text{lbf}$ ]

Use the effective torque graph to find.

③Find the total weight  $w$ .

$$w = w_1 + w_2$$

$L'$  : Shock absorber stroke [ft.]  
 ... See Table 2.

④Find the impact velocity.

$$V' = R' \times \omega$$

$\omega$  : Angular velocity [rad/sec.]

$\theta$  : Swing angle [rad]

$90^\circ \rightarrow 1.57\text{rad}$

$180^\circ \rightarrow 3.14\text{rad}$

⑤Find the kinetic energy.

$$E' = \frac{1}{2} \times \frac{w}{32.2} \times V'^2$$

$t$  : Swing time [sec.]

$w$  : Total weight [lbf.]

$V'$  : Impact velocity [ft./sec.]

$E'$  : Kinetic energy [ft·lbf]

$$E' < E'_a$$

$E'_a$  : Allowable energy with shock absorber ... See Table 1.

Table 1. Allowable energy  $E'_a$

Model	Allowable energy with rubber stopper [ft·lbf]	Allowable energy with shock absorber [ft·lbf]
<b>RAG□1</b>	0.002	—
<b>RAG□3</b>	0.004	0.22
<b>RAG□8</b>	0.006	0.39
<b>RAG□20</b>	0.022	0.84

Fig.1 R': Distance from the rotation center to the impact point

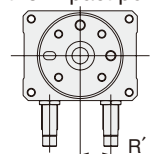


Table 2.

Model	Distance R' from the rotation center to the impact point [in.]	Shock absorber stroke L' [in.]	Shock absorber model
<b>RAG□3</b>	0.59	0.20	KSHAR5×5-D
<b>RAG□8</b>	0.71	0.20	KSHAR5×5-E
<b>RAG□20</b>	0.83	0.31	KSHAR6×8-F

5. Check the load ratio

Check that the total sum of the load ratio does not exceed 1.

For the allowable load, see Table 3 (For the load direction, see the allowable load on p.1308.)

$$\frac{W'_s}{W'_{s \text{ MAX}}} + \frac{W'_R}{W'_{R \text{ MAX}}} + \frac{M'}{M'_{\text{MAX}}} \leq 1$$

Table 3. Allowable load

Model	Thrust load $W'_{s \text{ MAX}}$ [lbf.]	Radial load $W'_{R \text{ MAX}}$ [lbf.]	Moment $M'_{\text{MAX}}$ [ft·lbf]
<b>RAG□1</b>	4.5	4.5	0.30
<b>RAG□3</b>	13.5	18.0	0.66
<b>RAG□8</b>	27.0	22.5	0.96
<b>RAG□20</b>	36.0	27.0	2.58

6. Judgement whether the unit is usable or not

The unit is usable if it satisfies both 4. Kinetic energy and 5. Load ratio.

$$E' < E'_a$$

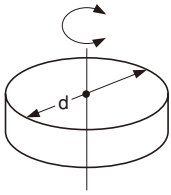
$$\text{Total sum of load ratio} \leq 1$$

## Selection

### ■ Diagram for calculating mass moment of inertia

[When the rotation axis passes through the workpiece]

#### ● Disk



● Diameter d (m)  
● Mass m (kg)

■ Mass moment of inertia I (kg·m<sup>2</sup>)

$$I = \frac{md^2}{8}$$

■ Rotating radius

$$\frac{d^2}{8}$$

● Diameter d [ft.]  
● Weight w [lbf.]

■ Mass moment of inertia I' [lbf·ft·sec<sup>2</sup>]

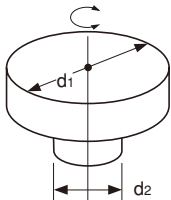
$$I' = \frac{wd^2}{8 \times 32.2}$$

■ Rotating radius

$$\frac{d^2}{8}$$

Remark: No particular mounting direction.  
Consider separately for sliding use.

#### ● Stepped disk



● Diameter d1 (m)  
d2 (m)  
● Mass d1 portion m1 (kg)  
d2 portion m2 (kg)

■ Mass moment of inertia I (kg·m<sup>2</sup>)

$$I = \frac{1}{8}(m_1 d_1^2 + m_2 d_2^2)$$

■ Rotating radius

$$\frac{d_1^2 + d_2^2}{8}$$

● Diameter d1 [ft.]  
d2 [ft.]  
● Weight d1 portion w1 [lbf.]  
d2 portion w2 [lbf.]

■ Mass moment of inertia I' [lbf·ft·sec<sup>2</sup>]

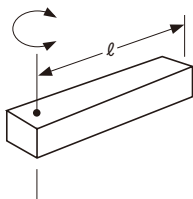
$$I' = \frac{1}{8 \times 32.2} \times (w_1 d_1^2 + w_2 d_2^2)$$

■ Rotating radius

$$\frac{d_1^2 + d_2^2}{8}$$

Remark: The d2 portion can be negligible when it is much smaller than the d1 portion.

#### ● Bar (when the rotation center passes through the edge)



● Bar length l (m)  
● Mass m (kg)

■ Mass moment of inertia I (kg·m<sup>2</sup>)

$$I = \frac{m l^2}{3}$$

■ Rotating radius

$$\frac{l^2}{3}$$

● Bar length l [ft.]  
● Weight w [lbf.]

■ Mass moment of inertia I' [lbf·ft·sec<sup>2</sup>]

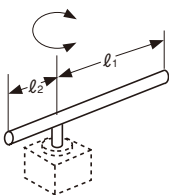
$$I' = \frac{w l^2}{3 \times 32.2}$$

■ Rotating radius

$$\frac{l^2}{3}$$

Remark: Mounting direction is horizontal.  
If the mounting direction is vertical, the swing time will change.

#### ● Slender rod



● Rod length l1 (m)  
l2 (m)  
● Mass m1 (kg)  
m2 (kg)

■ Mass moment of inertia I (kg·m<sup>2</sup>)

$$I = \frac{m_1 l_1^2}{3} + \frac{m_2 l_2^2}{3}$$

■ Rotating radius

$$\frac{l_1^2 + l_2^2}{3}$$

● Rod length l1 [ft.]  
l2 [ft.]  
● Weight w1 [lbf.]  
w2 [lbf.]

■ Mass moment of inertia I' [lbf·ft·sec<sup>2</sup>]

$$I' = \frac{w_1 l_1^2}{3 \times 32.2} + \frac{w_2 l_2^2}{3 \times 32.2}$$

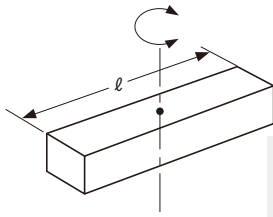
■ Rotating radius

$$\frac{l_1^2 + l_2^2}{3}$$

Remark: Mounting direction is horizontal.  
If the mounting direction is vertical, the swing time will change.



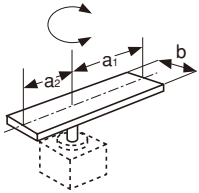
### ● Bar (when the rotation center passes through the center of gravity)



● Bar length	$\ell$ (m)	■ Mass moment of inertia $I$ ( $\text{kg} \cdot \text{m}^2$ )	■ Rotating radius
● Mass	$m$ (kg)	$I = \frac{m \ell^2}{12}$	$\frac{\ell^2}{12}$
● Bar length	$\ell$ [ft.]	■ Mass moment of inertia $I'$ [ $\text{lb} \cdot \text{ft} \cdot \text{sec}^2$ ]	■ Rotating radius
● Weight	$w$ [lbf.]	$I' = \frac{w \ell^2}{12 \times 32.2}$	$\frac{\ell^2}{12}$

Remark: No particular mounting direction.

### ● Thin rectangular plate (rectangular solid)

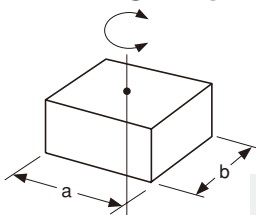


● Plate length	$a_1$ (m) $a_2$ (m)	■ Mass moment of inertia $I$ ( $\text{kg} \cdot \text{m}^2$ )	■ Rotating radius
● Length of side	$b$ (m)	$I = \frac{m_1}{12} (4a_1^2 + b^2) + \frac{m_2}{12} (4a_2^2 + b^2)$	$\frac{(4a_1^2 + b^2) + (4a_2^2 + b^2)}{12}$
● Mass	$m_1$ (kg) $m_2$ (kg)		
● Plate length	$a_1$ [ft.] $a_2$ [ft.]	■ Mass moment of inertia $I'$ [ $\text{lb} \cdot \text{ft} \cdot \text{sec}^2$ ]	■ Rotating radius
● Length of side	$b$ [ft.]	$I' = \frac{w_1}{12 \times 32.2} (4a_1^2 + b^2) + \frac{w_2}{12 \times 32.2} (4a_2^2 + b^2)$	$\frac{(4a_1^2 + b^2) + (4a_2^2 + b^2)}{12}$
● Weight	$w_1$ [lbf.] $w_2$ [lbf.]		

Remark: Mounting direction is horizontal.

If the mounting direction is vertical, the swing time will change.

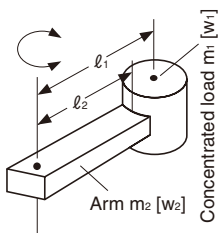
### ● Rectangular parallelepiped



● Length of sides	$a$ (m) $b$ (m)	■ Mass moment of inertia $I$ ( $\text{kg} \cdot \text{m}^2$ )	■ Rotating radius
● Mass	$m$ (kg)	$I = \frac{m}{12} (a^2 + b^2)$	$\frac{a^2 + b^2}{12}$
● Length of sides	$a$ [ft.] $b$ [ft.]	■ Mass moment inertia $I'$ [ $\text{lb} \cdot \text{ft} \cdot \text{sec}^2$ ]	■ Rotating radius
● Weight	$w$ [lbf.]	$I' = \frac{w}{12 \times 32.2} (a^2 + b^2)$	$\frac{a^2 + b^2}{12}$

Remark: No particular mounting direction.  
Consider separately for sliding use.

Concentrated load



- Shape of concentrated load
- Distance to center of gravity of concentrated load  $l_1$  (m)
- Length of arm  $l_2$  (m)
- Mass of concentrated load  $m_1$  (kg)
- Mass of arm  $m_2$  (kg)

Mass moment of inertia  $I$  (kg·m<sup>2</sup>)

$$I = m_1 k^2 + m_1 l_1^2 + \frac{m_2 l_2^2}{3}$$

Rotating radius:  $k^2$  is calculated according to shape of the concentrated load.

Remark: Mounting direction is horizontal. When  $m_2$  is much smaller than  $m_1$ , calculate as  $m_2 = 0$ .

- Shape of concentrated load
- Distance to center of gravity of concentrated load  $l_1$  [ft.]
- Length of arm  $l_2$  [ft.]
- Weight of concentrated load  $w_1$  [lbf.]
- Weight of arm  $w_2$  [lbf.]

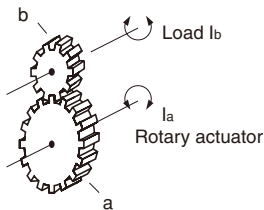
Mass moment of inertia  $I'$  [lbf·ft·sec<sup>2</sup>]

$$I' = \frac{w_1 k^2}{32.2} + \frac{w_1 l_1^2}{32.2} + \frac{w_2 l_2^2}{32.2 \times 3}$$

Rotating radius:  $k^2$  is calculated according to shape of the concentrated load.

Remark: Mounting direction is horizontal. When  $w_2$  is much smaller than  $w_1$ , calculate as  $w_2 = 0$ .

Gear Equation for calculating the load  $J_L$  with respect to rotary actuator axis when transmitted by gears



- Gear Rotary actuator side a
- Load side b
- Inertia moment of load

N·m

Mass moment of inertia  $I$  (kg·m<sup>2</sup>)

Mass moment of inertia of load with respect to rotary actuator axis

$$I_a = \left(\frac{a}{b}\right)^2 I_b$$

- Gear Rotary actuator side a
- Load side b
- Inertia moment of load

ft·lbf

Mass moment of inertia  $I'$  [lbf·ft·sec<sup>2</sup>]

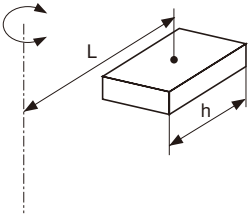
Mass moment of inertia of load with respect to rotary actuator axis

$$I_a = \left(\frac{a}{b}\right)^2 I_b$$

Remark: If the shapes of the gears are too large, the mass moment of inertia of the gears must be also taken into consideration.

## [When the rotation axis is offset from the workpiece]

### ● Rectangular parallelepiped



- Length of side  $h$  (m)
- Distance from rotation axis to the center of load  $L$  (m)
- Mass  $m$  (kg)

■ Mass moment of inertia  $I$  ( $\text{kg} \cdot \text{m}^2$ )

$$I = \frac{mh^2}{12} + mL^2$$

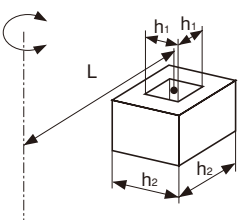
- Length of side  $h$  [ft.]
- Distance from rotation axis to the center of load  $L$  [ft.]
- Weight  $w$  [lbf.]

■ Mass moment of inertia  $I'$  [ $\text{lbf} \cdot \text{ft} \cdot \text{sec}^2$ ]

$$I' = \frac{wh^2}{32.2 \times 12} + \frac{wL^2}{32.2}$$

Remark: Same for cube.

### ● Hollow rectangular parallelepiped



- Length of side  $h_1$  (m)
- Distance from rotation axis to the center of load  $L$  (m)
- Mass  $m$  (kg)

■ Mass moment of inertia  $I$  ( $\text{kg} \cdot \text{m}^2$ )

$$I = \frac{m}{12} (h_2^2 + h_1^2) + mL^2$$

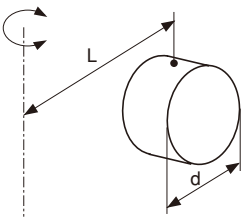
- Length of side  $h_1$  [ft.]
- Distance from rotation axis to the center of load  $L$  [ft.]
- Weight  $w$  [lbf.]

■ Mass moment of inertia  $I'$  [ $\text{lbf} \cdot \text{ft} \cdot \text{sec}^2$ ]

$$I' = \frac{w(h_2^2 + h_1^2)}{32.2 \times 12} + \frac{wL^2}{32.2}$$

Remark: Cross-section is square only.

### ● Circular cylinder



- Diameter  $d$  (m)
- Distance from rotation axis to the center of load  $L$  (m)
- Mass  $m$  (kg)

■ Mass moment of inertia  $I$  ( $\text{kg} \cdot \text{m}^2$ )

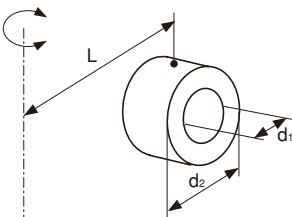
$$I = \frac{md^2}{16} + mL^2$$

- Diameter  $d$  [ft.]
- Distance from rotation axis to the center of load  $L$  [ft.]
- Weight  $w$  [lbf.]

■ Mass moment of inertia  $I'$  [ $\text{lbf} \cdot \text{ft} \cdot \text{sec}^2$ ]

$$I' = \frac{wd^2}{32.2 \times 16} + \frac{wL^2}{32.2}$$

### ● Hollow circular cylinder



- Diameter  $d_1$  (m)
- Distance from rotation axis to the center of load  $L$  (m)
- Mass  $m$  (kg)

■ Mass moment of inertia  $I$  ( $\text{kg} \cdot \text{m}^2$ )

$$I = \frac{m}{16} (d_2^2 + d_1^2) + mL^2$$

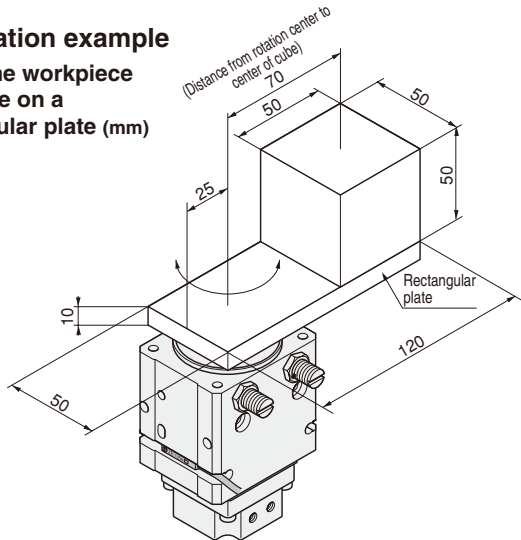
- Diameter  $d_1$  [ft.]
- Distance from rotation axis to the center of load  $L$  [ft.]
- Weight  $w$  [lbf.]

■ Mass moment of inertia  $I'$  [ $\text{lbf} \cdot \text{ft} \cdot \text{sec}^2$ ]

$$I' = \frac{w(d_2^2 + d_1^2)}{32.2 \times 16} + \frac{wL^2}{32.2}$$

## ● Calculation example

When the workpiece is a cube on a rectangular plate (mm)



### 1. Check the application conditions

- ① Swing angle : 90°
- ② Swing time : 0.4(s)
- ③ Applied pressure : 0.5 (MPa)
- ④ Workpiece shape: Shown in the above  
Workpiece material  
Rectangular plate : Aluminum alloy (Specific gravity =  $2.68 \times 10^3 \text{ kg/m}^3$ )  
Cube : Steel (Specific gravity =  $7.85 \times 10^3 \text{ kg/m}^3$ )
- ⑤ Mounting direction : Horizontal

### 2. Check the swing time

The swing time is 0.5s/90°, which means there is no problem in the models larger than RAG□3.

### 3. Select torque size

Firstly calculate the mass moment of inertia.

Rectangular plate

$$m_1 = 0.05 \times (0.12 - 0.025) \times 0.01 \times 2.68 \times 10^3 = 0.127 \text{ (kg)}$$

$$m_2 = 0.05 \times 0.025 \times 0.01 \times 2.68 \times 10^3 = 0.034 \text{ (kg)}$$

$$I_1 = \frac{0.127}{12} \{4 \times (0.12 - 0.025)^2 + 0.05^2\} + \frac{0.034}{12} \{4 \times 0.025^2 + 0.05^2\}$$

$$= 0.42 \times 10^{-3} \text{ (kg} \cdot \text{m}^2) \cdots \text{①}$$

Cube

$$m_3 = 0.05 \times 0.05 \times 0.05 \times 7.85 \times 10^3 = 0.981 \text{ (kg)}$$

$$I_2 = \frac{0.981 \times 0.05^2}{12} + 0.981 \times 0.07^2$$

$$= 5.01 \times 10^{-3} \text{ (kg} \cdot \text{m}^2) \cdots \text{②}$$

From ① and ②, the total mass moment of inertia I is

$$I = I_1 + I_2$$

$$= 0.42 \times 10^{-3} + 5.01 \times 10^{-3}$$

$$= 5.43 \times 10^{-3} \text{ (kg} \cdot \text{m}^2) \cdots \text{③}$$

According to the given conditions,  $\theta = 90^\circ$ ,  $t = 0.4$ (s) therefore, the uniform angular acceleration  $\dot{\omega}$  is

$$\dot{\omega} = \frac{2 \times 1.57}{0.4^2} = 19.625 \text{ (rad/s}^2) \cdots \text{④}$$

From ③ and ④, the required torque  $T_A$  is

$$T_A = 5.43 \times 10^{-3} \times 19.625 \times 5$$

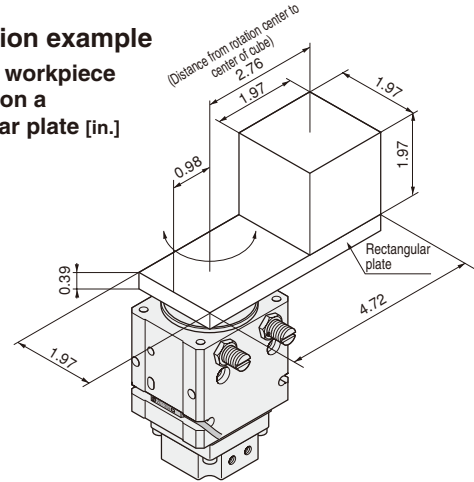
$$= 0.533 \text{ (N} \cdot \text{m)} \cdots \text{⑤}$$

From the Effective torque graph on p.1308, select a model where the torque is more than 0.533 (N·m) at 0.5 MPa.

**RAG□8-90**

## ● Calculation example

When the workpiece is a cube on a rectangular plate [in.]



### 1. Check the application conditions

- ① Swing angle : 90°
- ② Swing time : 0.4[sec.]
- ③ Applied pressure : 73 [psi.]
- ④ Workpiece shape: Shown in the above  
Workpiece material  
Rectangular plate: Aluminum alloy (Specific gravity = 167 lbf/ft<sup>3</sup>)  
Cube: Steel (Specific gravity = 490 lbf/ft<sup>3</sup>)
- ⑤ Mounting direction : Horizontal

### 2. Check the swing time

The swing time is 0.5sec./90°, which means there is no problem in the models larger than RAG□3.

### 3. Select torque size

Firstly calculate the mass moment of inertia.

Rectangular plate

$$w_1 = \frac{1.97}{12} \times \frac{(4.72 - 0.98)}{12} \times \frac{0.39}{12} \times 167 = 0.278 \text{ [lbf.]}$$

$$w_2 = \frac{1.97}{12} \times \frac{0.98}{12} \times \frac{0.39}{12} \times 167 = 0.073 \text{ [lbf.]}$$

$$I'_1 = \frac{0.278}{12 \times 32.2} \left\{ 4 \times \left( \frac{4.72 - 0.98}{12} \right)^2 + \left( \frac{1.97}{12} \right)^2 \right\} + \frac{0.073}{12 \times 32.2} \left\{ 4 \times \left( \frac{0.98}{12} \right)^2 + \left( \frac{1.97}{12} \right)^2 \right\}$$

$$= 0.31 \times 10^{-3} \text{ [lbf} \cdot \text{ft} \cdot \text{sec}^2] \cdots \text{①}$$

Cube

$$w_3 = \frac{1.97}{12} \times \frac{1.97}{12} \times \frac{1.97}{12} \times 490 = 2.17 \text{ [lbf.]}$$

$$I'_2 = \frac{2.17}{12 \times 32.2} \times \left( \frac{1.97}{12} \right)^2 + \frac{2.17}{32.2} \times \left( \frac{2.76}{12} \right)^2$$

$$= 3.71 \times 10^{-3} \text{ [lbf} \cdot \text{ft} \cdot \text{sec}^2] \cdots \text{②}$$

From ① and ②, the total mass moment of inertia I' is

$$I' = I'_1 + I'_2$$

$$= 0.31 \times 10^{-3} + 3.71 \times 10^{-3}$$

$$= 4.02 \times 10^{-3} \text{ [lbf} \cdot \text{ft} \cdot \text{sec}^2] \cdots \text{③}$$

According to the given conditions,  $\theta = 90^\circ$ ,  $t = 0.4$ [sec.] therefore, the uniform angular acceleration  $\dot{\omega}$  is

$$\dot{\omega} = \frac{2 \times 1.57}{0.4^2} = 19.625 \text{ [rad/sec}^2] \cdots \text{④}$$

From ③ and ④, the required torque  $T'_A$  is

$$T'_A = 4.02 \times 10^{-3} \times 19.625 \times 5$$

$$= 0.394 \text{ [ft} \cdot \text{lbf]} \cdots \text{⑤}$$

From the Effective torque graph on p.1308, select a model where the torque is more than 0.394 [ft·lbf] at 73 psi.

**RAG□8-90**

#### 4. Check the kinetic energy

With rubber stopper

According to the given conditions,  $\theta=90^\circ$ ,  $t=0.4(\text{s})$  therefore,

$$\omega = \frac{2 \times 1.57}{0.4} = 7.85 \text{ (rad/s)} \cdots \textcircled{1}$$

From ①, the kinetic energy E is

$$E = \frac{1}{2} \times 5.43 \times 10^{-3} \times 7.85^2 = 0.167 \text{ (J)} \cdots \textcircled{2}$$

$0.167 > 0.008$ , which means the rubber stopper is not sufficient.  
Therefore, recalculate a case with shock absorber.

With shock absorber

$$m_1 = \frac{5.43 \times 10^{-3}}{0.018^2} = 16.76 \text{ (kg)} \cdots \textcircled{3}$$

$$m_2 = \frac{2 \times 0.785 \times 0.005}{0.018^3 \times 7.85^2} = 21.84 \text{ (kg)} \cdots \textcircled{4}$$

From ③ and ④,

$$m = 16.76 + 21.84 = 38.60 \text{ (kg)} \cdots \textcircled{5}$$

$$V = 0.018 \times 7.85 = 0.141 \cdots \textcircled{6}$$

From ⑤ and ⑥, find the kinetic energy.

$$E = \frac{1}{2} \times 38.6 \times 0.141^2 = 0.384 \text{ (J)}$$

$0.384 < 0.53$ , which means there is no problem in the application with shock absorber.

#### 5. Check the load ratio

【Thrust load】

The total mass is

$$0.034 + 0.127 + 0.981 = 1.142 \text{ (kg)}$$

Therefore,

$$W_s = 1.142 \times 9.8 = 11.192 \text{ (N)} \cdots \textcircled{1}$$

【Radial load】

Since no radial load is applied,

$$W_R = 0 \text{ (N)} \cdots \textcircled{2}$$

【Moment】

The moment  $M_1$  by the rectangular plate is

$$M_1 = (0.034 + 0.127) \times 9.8 \times \left( \frac{0.12}{2} - 0.025 \right) = 0.055 \text{ (N} \cdot \text{m)} \cdots \textcircled{3}$$

The moment  $M_2$  by the cube is

$$M_2 = 0.981 \times 9.8 \times 0.07 = 0.673 \text{ (N} \cdot \text{m)} \cdots \textcircled{4}$$

From ③ and ④, the total moment is

$$M = 0.055 + 0.673 = 0.728 \text{ (N} \cdot \text{m)} \cdots \textcircled{5}$$

From ①, ②, and ⑤, find the load ratio

$$\frac{W_s}{W_{s \text{ MAX}}} + \frac{W_R}{W_{R \text{ MAX}}} + \frac{M}{M_{\text{MAX}}} = \frac{11.192}{120} + \frac{0}{100} + \frac{0.728}{1.3} = 0.65 < 1.0$$

the load ratio is less than 1.0, and satisfactory.

#### 6. Check the unit specifications

Selection of **RAG 8-90-SS2** satisfies both the kinetic energy and load ratio requirements.

#### 4. Check the kinetic energy

With rubber stopper

According to the given conditions,  $\theta=90^\circ$ ,  $t=0.4[\text{sec.}]$  therefore,

$$\omega = \frac{2 \times 1.57}{0.4} = 7.85 \text{ [rad/sec.]} \cdots \textcircled{1}$$

From ①, the kinetic energy  $E'$  is

$$E' = \frac{1}{2} \times 4.02 \times 10^{-3} \times 7.85^2 = 0.124 \text{ [ft} \cdot \text{lbf]} \cdots \textcircled{2}$$

$0.124 > 0.006$ , which means the rubber stopper is not sufficient.  
Therefore, recalculate a case with shock absorber.

With shock absorber

$$w_1 = \frac{4.02 \times 10^{-3} \times 32.2}{\left( \frac{0.71}{12} \right)^2} = 36.98 \text{ [lbf.]} \cdots \textcircled{3}$$

$$w_2 = \frac{2 \times 0.579 \times \frac{0.2}{12} \times 32.2}{\left( \frac{0.71}{12} \right)^3 \times 7.85^2} = 48.69 \text{ [lbf.]} \cdots \textcircled{4}$$

From ③ and ④,

$$w = 36.98 + 48.69 = 85.67 \text{ [lbf.]} \cdots \textcircled{5}$$

$$V' = \frac{0.71}{12} \times 7.85 = 0.464 \cdots \textcircled{6}$$

From ⑤ and ⑥, find the kinetic energy.

$$E' = \frac{85.67 \times 0.464^2}{2 \times 32.2} = 0.286 \text{ [ft} \cdot \text{lbf]}$$

$0.286 < 0.39$ , which means there is no problem in the application with shock absorber.

#### 5. Check the load ratio

【Thrust load】

The total weight is

$$0.073 + 0.278 + 2.17 = 2.52 \text{ [lbf.]}$$

Therefore,

$$W'_s = 2.52 \text{ [lbf.]} \cdots \textcircled{1}$$

【Radial load】

Since no radial load is applied,

$$W'_R = 0 \text{ [lbf.]} \cdots \textcircled{2}$$

【Moment】

The moment  $M'_1$  by the rectangular plate is

$$M'_1 = (0.073 + 0.278) \times \left( \frac{1}{2} \times \frac{4.72}{12} - \frac{0.98}{12} \right) = 0.040 \text{ [ft} \cdot \text{lbf]} \cdots \textcircled{3}$$

The moment  $M'_2$  by the cube is

$$M'_2 = 2.17 \times \frac{2.76}{12} = 0.499 \text{ [ft} \cdot \text{lbf]} \cdots \textcircled{4}$$

From ③ and ④, the total moment is

$$M' = 0.040 + 0.499 = 0.539 \text{ [ft} \cdot \text{lbf]} \cdots \textcircled{5}$$

From ①, ②, and ⑤, find the load ratio

$$\frac{W'_s}{W'_{s \text{ MAX}}} + \frac{W'_R}{W'_{R \text{ MAX}}} + \frac{M'}{M'_{\text{MAX}}} = \frac{2.52}{27.0} + \frac{0}{22.5} + \frac{0.539}{0.96} = 0.65 < 1.0$$

the load ratio is less than 1.0, and satisfactory.

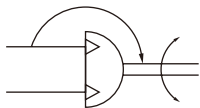
#### 6. Check the unit specifications

Selection of **RAG 8-90-SS2** satisfies both the kinetic energy and load ratio requirements.

# ROTARY ACTUATORS

## RAG Series

### Symbol



### Specifications

Item		Model	RAG□1	RAG□3	RAG□8	RAG□20
Operation type			Double acting single vane type			
Effective torque <sup>Note 1</sup>		N・m [ft・lbf]	0.118 [0.087]	0.294 [0.217]	0.785 [0.579]	1.96 [1.45]
Media			Air			
Operating pressure range	MPa [psi.]	With rubber stopper	0.25~0.7 [36.3~102]	0.2~0.7 [29~102]		
		With shock absorber	—	0.32~0.7 [46.4~102]	0.2~0.7 [29~102]	
Proof pressure		MPa [psi.]	1.03 [149]			
Operating temperature range		°C [°F]	5~60 [41~140]			
Cushion		With rubber stopper	Rubber bumper			
		With shock absorber	—	Shock absorber		
Swing angle range		90° type	—5°~95°			
		180° type	—5°~185°			
Swing angle adjustment range <sup>Note 2</sup>		90° type	Clockwise rotation end: ±5° referred to 0° position/Counterclockwise rotation end: ±5° referred to 90° position			
		180° type	Clockwise rotation end: ±5° referred to 0° position/Counterclockwise rotation end: ±5° referred to 180° position			
Swing time adjustment range <sup>Note 3</sup>		s/90°	0.05~0.25	0.05~0.4	0.05~0.5	0.06~0.6
Allowable energy J [ft・lbf]		With rubber stopper	0.003 [0.002]	0.005 [0.004]	0.008 [0.006]	0.03 [0.02]
		With shock absorber	—	0.3 [0.22]	0.53 [0.39]	1.14 [0.84]
Allowable thrust load		N [lbf.]	20 [4.5]	60 [13.5]	120 [27.0]	160 [36.0]
Allowable radial load		N [lbf.]	20 [4.5]	80 [18.0]	100 [22.5]	120 [27.0]
Allowable moment		N・m [ft・lbf]	0.4 [0.3]	0.9 [0.7]	1.3 [1.0]	3.5 [2.6]
Deflection accuracy <sup>Note 4</sup>	mm[in.]	Table-top surface	0.03 [0.0012]			
		Table-side surface				
Lubrication			Not required (If lubrication is required, use Turbine Oil Class 1 [ISO VG32] or equivalent.)			
Port size			M5×0.8			

Notes: 1. Effective torque is the value when the operating pressure is 0.5 MPa [73 psi.].

2. For the swing end position, see p.1320.

3. The swing time adjustment range is the value by using the rubber stopper option, with no load at air pressure of 0.5 MPa [73 psi.]. (reference value)

4. The deflection accuracy is an actual measurement value, and is not intended to be a guaranteed value.

### Shock Absorber Specifications

Item		Model	KSHAR5×5-D	KSHAR5×5-E	KSHAR6×8-F
Applicable model			RAG□3	RAG□8	RAG□20
Maximum absorption		J [ft·lbf]	1.0 [0.74]	2.0 [1.5]	3.0 [2.2]
Absorption stroke		mm [in.]	5 [0.20]		
Maximum operating frequency		cycle/min	60		
Maximum impact speed		mm/s[ in./sec.]	300 [11.8]		
Angle variation			8° or less		
Operating temperature range		°C [°F]	0~60 [32~140]		

Caution: Even if the application is within the shock absorber absorption range, follow also within the rotary actuator RAG series swing time adjustment and allowable energy range.

Remarks: 1. Do not loosen or remove the small screw on the rear end of the shock absorber. The oil inside will leak out which will fail the function of the shock absorber.

2. The life of the shock absorber may vary from the rotary actuator RAG series depending on its operating conditions.

Order Codes

RAG

-

-

-

Number of sensor switches

1 : With 1 sensor switch

2 : With 2 sensor switches

Lead wire length

A : 1000mm [39 in.]

B : 3000mm [118 in.]

Sensor switch

Blank : No sensor switch

ZE101 : Reed switch type, without indicator lamp

ZE102 : Reed switch type, with indicator lamp

ZE201 : Reed switch type, without indicator lamp

ZE202 : Reed switch type, with indicator lamp

ZE135 : 2-lead wires solid state type, with indicator lamp

ZE155 : 3-lead wires solid state type, with indicator lamp

ZE235 : 2-lead wires solid state type, with indicator lamp

ZE255 : 3-lead wires solid state type, with indicator lamp

For details of sensor switches, see p.1325.

Angle adjustment

Blank : With rubber stoppers on both sides

SS2 : With shock absorbers on both sides

SSR : With shock absorber on the right side (Clockwise rotation end side)

SSL : With shock absorber on the left side (Counterclockwise rotation end side)

Swing angle

90 : 90°

180 : 180°

Nominal torque

1 : 0.118N·m [0.087 ft·lbf]

3 : 0.294N·m [0.217 ft·lbf]

8 : 0.785N·m [0.579 ft·lbf]

20 : 1.96N·m [1.45 ft·lbf]

Magnet

Blank : No magnet

S : With magnet

Basic model

Rotary actuator RAG series

Horizontal lead wire

DC5~28V, AC85~115V

Horizontal lead wire

DC10~28V, AC85~115V

Vertical lead wire

DC5~28V, AC85~115V

Vertical lead wire

DC10~28V, AC85~115V

Horizontal lead wire

DC10~28V

Horizontal lead wire

DC4.5~28V

Vertical lead wire

DC10~28V

Vertical lead wire

DC4.5~28V

90°

180°

Note 1

Note 2

Note 3

Note 4

Notes:

1. Nominal torque 1 is not available with shock absorber types (SS2, SSR, or SSL). It is available only with the rubber stopper on both sides type (blank).

2. The opposite side of the shock absorber (SSR or SSL) comes with the rubber stopper.

3. In vertical lead wire type, the lead wire protrudes from the sensor switch at right angles. In addition, when the mounting method for RAGS1 or 3 is as shown in Figure 1, use the vertical lead wire type.

4. When mounting a sensor switch, select the type with a magnet.

Note 3 : Figure1

Mass

Model	Mass	
	No magnet	With magnet
RAG□1-90	290 [10.23]	292 [10.30]
RAG□1-180	287 [10.12]	288 [10.16]
RAG□3-90	451 [15.91]	453 [15.98]
RAG□3-90-SS2	451 [15.91]	453 [15.98]
RAG□3-90-SSR (L)	451 [15.91]	453 [15.98]
RAG□3-180	448 [15.80]	449 [15.84]
RAG□3-180-SS2	448 [15.80]	449 [15.84]
RAG□3-180-SSR (L)	448 [15.80]	449 [15.84]
RAG□8-90	641 [22.61]	643 [22.68]
RAG□8-90-SS2	641 [22.61]	643 [22.68]
RAG□8-90-SSR (L)	641 [22.61]	643 [22.68]
RAG□8-180	638 [22.50]	639 [22.54]
RAG□8-180-SS2	638 [22.50]	639 [22.54]
RAG□8-180-SSR (L)	638 [22.50]	639 [22.54]
RAG□20-90	1026 [36.19]	1028 [36.26]
RAG□20-90-SS2	1030 [36.33]	1032 [36.40]
RAG□20-90-SSR (L)	1028 [36.26]	1030 [36.33]
RAG□20-180	1022 [36.05]	1023 [36.08]
RAG□20-180-SS2	1026 [36.19]	1027 [36.23]
RAG□20-180-SSR (L)	1024 [36.12]	1025 [36.16]
CRK570	4 [0.14]	
CRK588	10 [0.35]	
CRK589	20 [0.71]	
KSHAR5×5-D	10 [0.35]	
KSHAR5×5-E	10 [0.35]	
KSHAR6×8-F	22 [0.78]	

Sensor switch			g [oz.]
One sensor switch	Lead wire length A	15 [0.53]	
	Lead wire length B	35 [1.23]	

Additional Parts

●Rubber stopper

CRK

570 : For RAG□1-□  
588 : For RAG□3-□, and RAG□8-□  
589 : For RAG□20-□

●Shock absorber

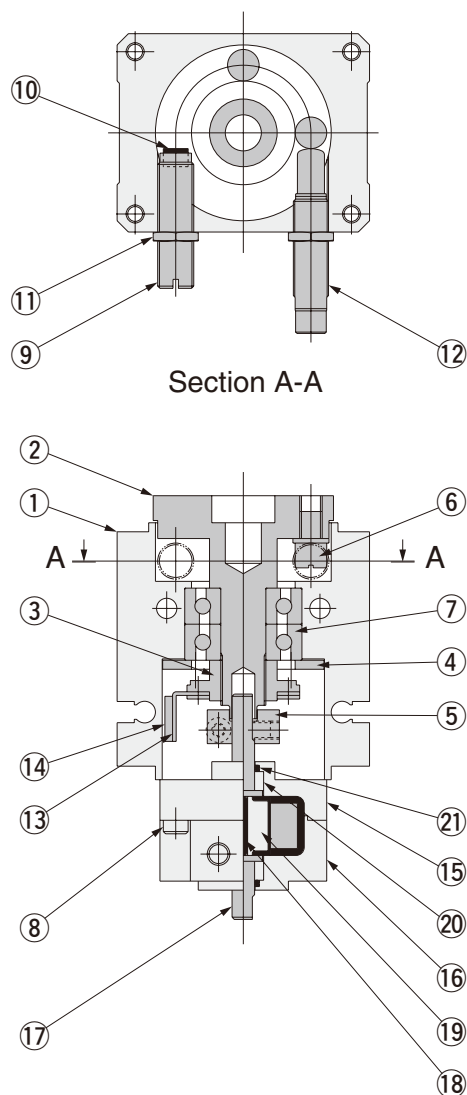
KSHAR

5×5-D : For RAG□3-□  
5×5-E : For RAG□8-□  
6×8-F : For RAG□20-□

Remark: The shock absorber or rubber stopper comes as a set consisting of its body and 1 mounting nut.

## Inner Construction

RAG□1, 3, 8, 20



## Major Parts and Materials

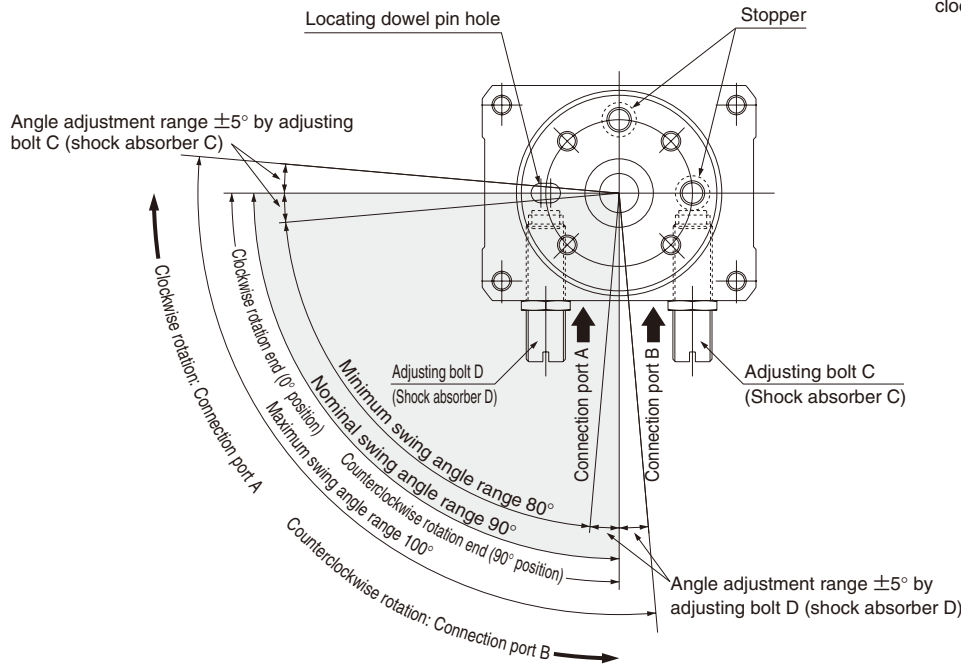
No.	Parts	Materials	Remarks
①	Body	Aluminum alloy (anodized)	
②	Table	Stainless steel	
③	Nut	Aluminum alloy (anodized)	
④	Cover	Aluminum alloy (anodized)	
⑤	Bracket	Stainless steel	
⑥	Stopper	Special steel	
⑦	Bearing	Steel	RAG□1: Special bearing RAG□3~20: Angular bearing
⑧	Bolt	Stainless steel	
⑨	Adjusting bolt	Steel (nickel plated)	
⑩	Bumper	Synthetic rubber (NBR)	
⑪	Hexagon nut	Mild steel (zinc plated)	
⑫	Shock absorber	—	Applied only for -SS□
⑬	Magnet holder	Aluminum alloy (anodized)	Applied only for RAGS□
⑭	Magnet	Plastic magnet	Applied only for RAGS□
⑮	Body A	Aluminum alloy (anodized)	
⑯	Body B	Aluminum alloy (anodized)	
⑰	Vane axis (shaft portion)	Steel (nitrided)	
	Vane axis (rotor portion)	Molded plastic	
	Vane axis (sealing portion)	Synthetic rubber (NBR)	
⑱	Shoe seal	Synthetic rubber (NBR)	
⑲	Shoe	Molded plastic	
⑳	Bearing	Sintered oil impregnated alloy	
㉑	O-ring	Synthetic rubber (NBR)	



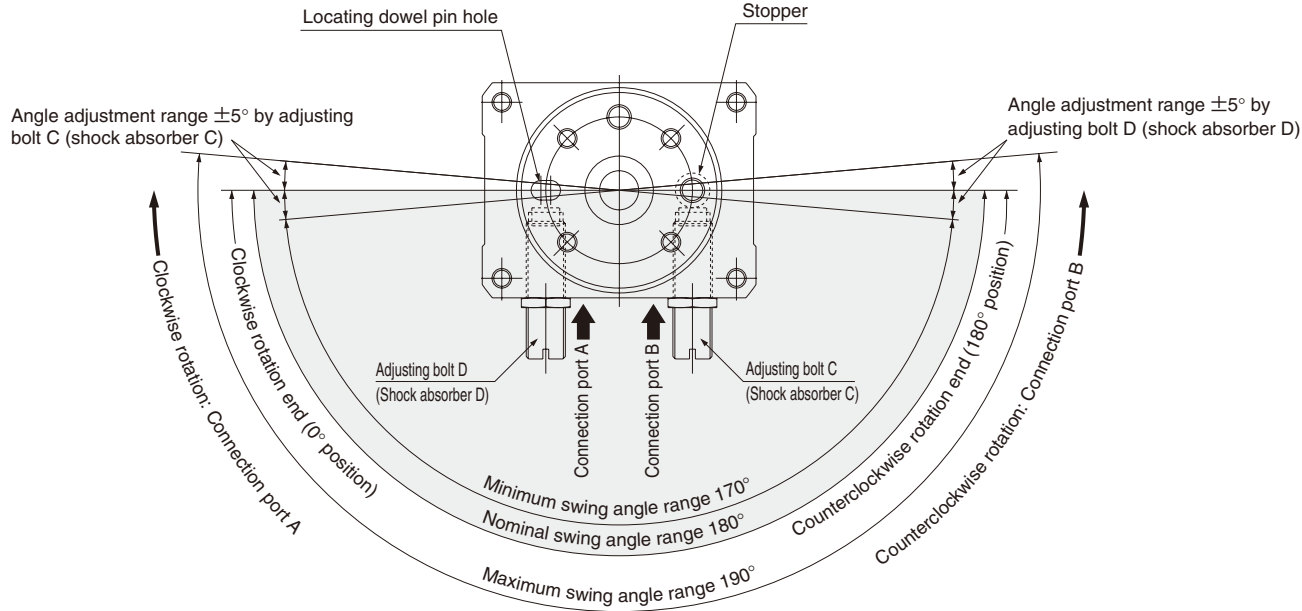
# Swing Angle Range and Swing Direction

## ●90° type

Remark: The diagrams show when air is supplied to connection port A for the clockwise rotation, and the table has completed the rotation in the clockwise direction (0° position).



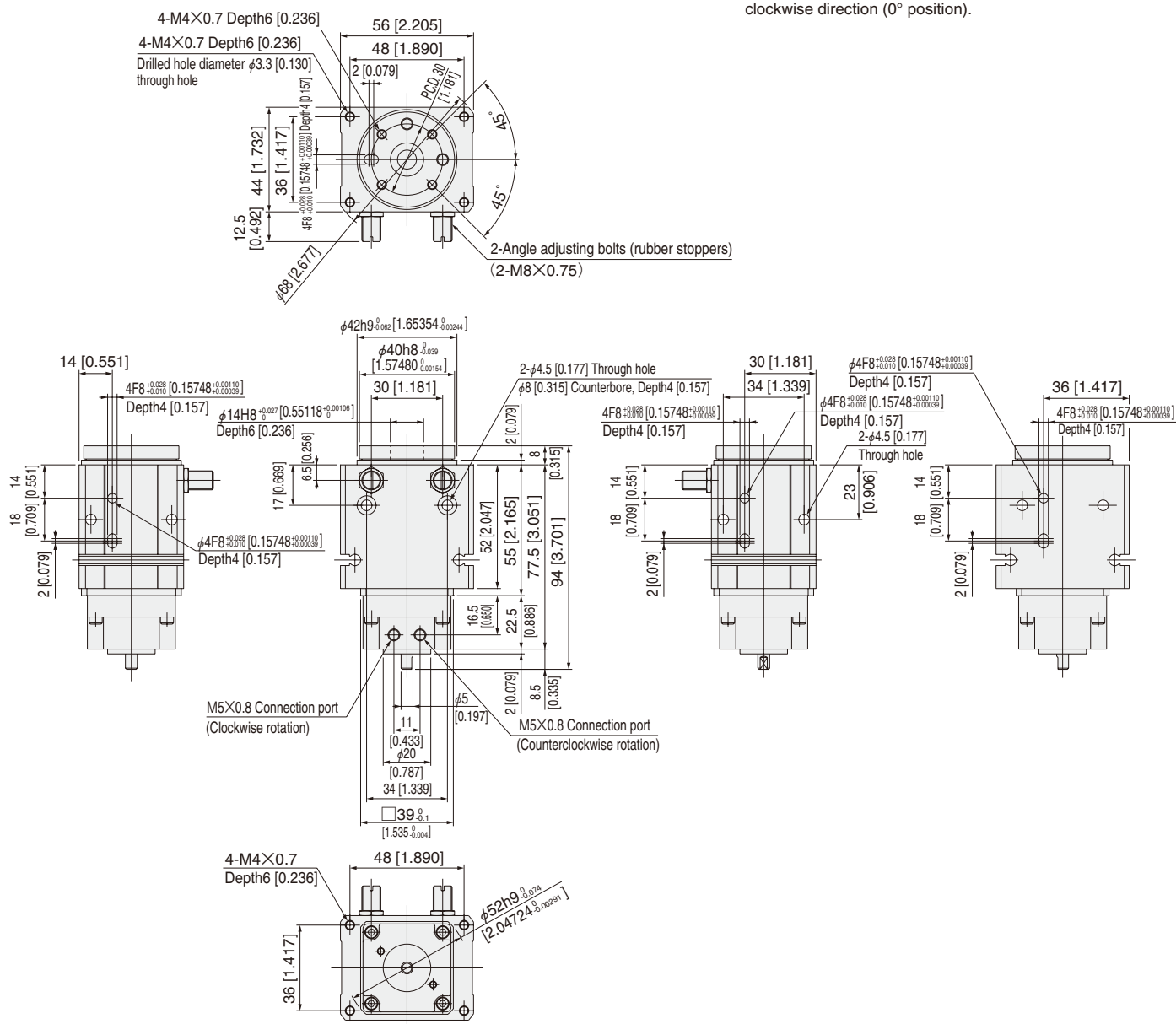
## ●180° type



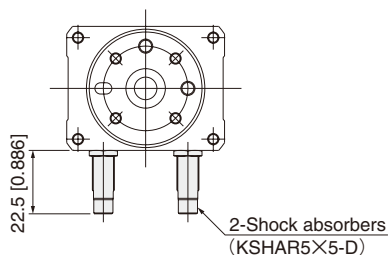


**RAG□3-90**  
**RAG□3-180**

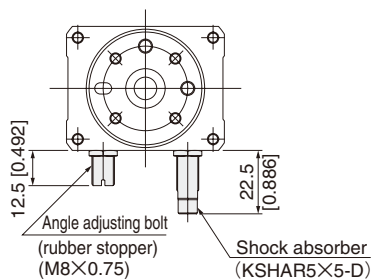
Remark: The drawings show when air is supplied to the connection port for the clockwise rotation, and the table has completed the rotation in the clockwise direction (0° position).



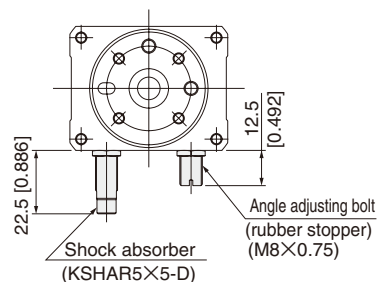
**RAG□3-90-SS2**  
**RAG□3-180-SS2**

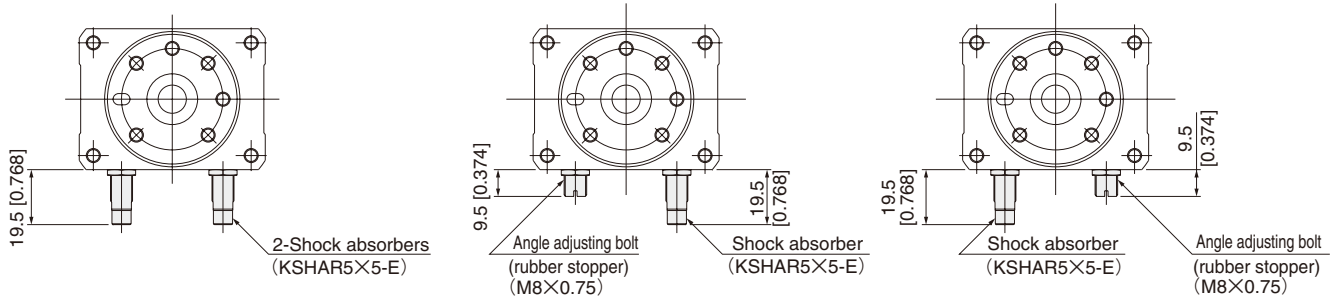


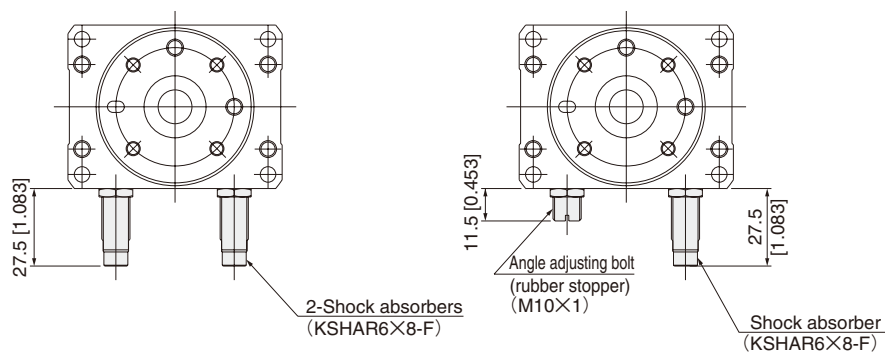
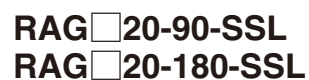
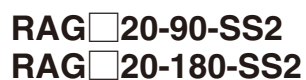
**RAG□3-90-SSR**  
**RAG□3-180-SSR**



**RAG□3-90-SSL**  
**RAG□3-180-SSL**



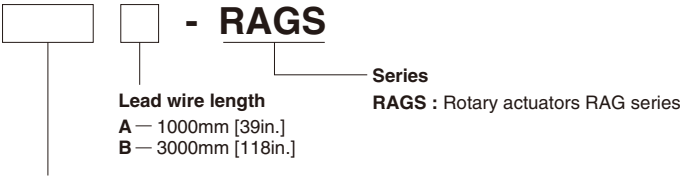




# SENSOR SWITCHES

Solid State Type, Reed Switch Type

## Order Codes



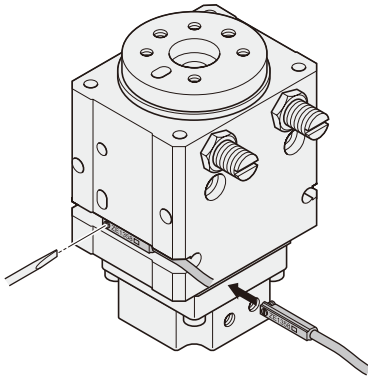
**Sensor switch**

<b>ZE135</b> — Solid state type with indicator lamp	DC10~28V	Horizontal lead wire	<b>ZE155</b> — Solid state type with indicator lamp	DC4.5~28V	Horizontal lead wire
<b>ZE235</b> — Solid state type with indicator lamp	DC10~28V	Vertical lead wire	<b>ZE255</b> — Solid state type with indicator lamp	DC4.5~28V	Vertical lead wire
<b>ZE101</b> — Reed switch type without indicator lamp	DC5~28V AC85~115V	Horizontal lead wire	<b>ZE102</b> — Reed switch type with indicator lamp	DC10~28V AC85~115V	Horizontal lead wire
<b>ZE201</b> — Reed switch type without indicator lamp	DC5~28V AC85~115V	Vertical lead wire	<b>ZE202</b> — Reed switch type with indicator lamp	DC10~28V AC85~115V	Vertical lead wire

● For details of sensor switches, see p.1544.

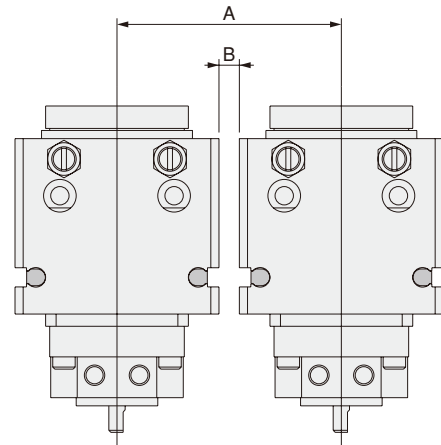
## Moving Sensor Switch

- Loosening the mounting screw allows the sensor switch to be moved along the switch mounting groove on the rotary actuator.
- Tighten the mounting screw with a tightening torque of 0.1~0.2N·m [0.9~1.8in·lbf].



## When Mounting the Actuators with Sensor Switches in Close Proximity

When mounting the actuators in close proximity, use them at the values shown in the table below, or larger.



### ●Solid State Type

Model	A	B
RAGS1	52 [2.047]	2 [0.079]
RAGS3	58 [2.283]	
RAGS8	66 [2.598]	0 [0]
RAGS20	76 [2.992]	

### ●Reed Switch Type

Model	A	B
RAGS1	50 [1.969]	0 [0]
RAGS3	56 [2.205]	
RAGS8	66 [2.598]	
RAGS20	76 [2.992]	

## Sensor Switch Operating Range, Response Differential, and Maximum Sensing Location

### ●Operating range: $\ell$

Refers to the range of angles as the magnet moves with the vane to switch ON the sensor, and as the magnet moves further in the same direction until the sensor goes OFF again.

### ●Response Differential: C

Refers to the angle between the point where the sensor is switched ON as the magnet moves with the vane, and the point where the sensor is turned OFF as the magnet moves in the opposite direction.

### ●Solid state type

Item	Model	RAGS1	RAGS3	RAGS8	RAGS20
Operating range: $\ell$		6°~10°	5°~9°	5°~9°	4°~8°
Response differential: C		0.5° or less			
Maximum sensing location <sup>Note</sup>		6mm [0.236in.]			

Remark: The above table shows reference values.

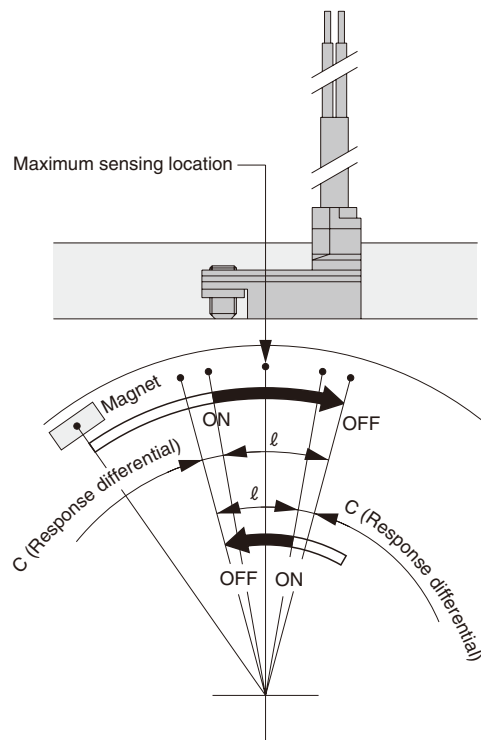
Note: This is the length measured from the switch's opposite end side to the lead wire.

### ●Reed switch type

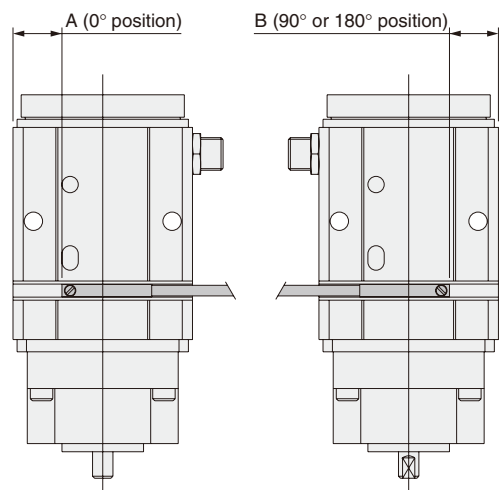
Item	Model	RAGS1	RAGS3	RAGS8	RAGS20
Operating range: $\ell$		13°~20°	12°~18°	11°~17°	8°~15°
Response differential: C		3° or less			
Maximum sensing location <sup>Note</sup>		10mm [0.394in.]			

Remark: The above table shows reference values.

Note: This is the length measured from the switch's opposite end side to the lead wire.



# Mounting Location of Swing End Detection Sensor Switch



Remark: For the table's 0°, 90°, and 180° positions, see p.1320.

**●Solid State Type**

mm [in.]

Model	90° and 180° types	
	A	B
<b>RAGS1</b>	13 [0.512]	
<b>RAGS3</b>	16 [0.630]	
<b>RAGS8</b>	19 [0.748]	
<b>RAGS20</b>	23 [0.906]	

**●Reed Switch Type**

mm [in.]

Model	90° and 180° types	
	A	B
<b>RAGS1</b>	9 [0.354]	
<b>RAGS3</b>	12 [0.472]	
<b>RAGS8</b>	15 [0.591]	
<b>RAGS20</b>	19 [0.748]	